

RankTuner: When Design Tool Parameter Tuning Meets Preference Bayesian Optimization

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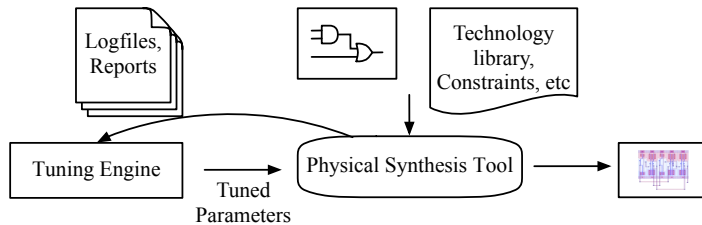
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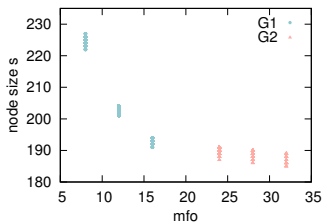


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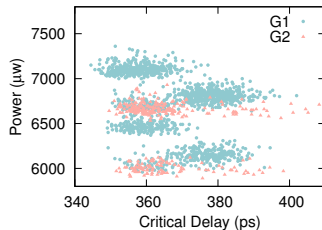
Introduction



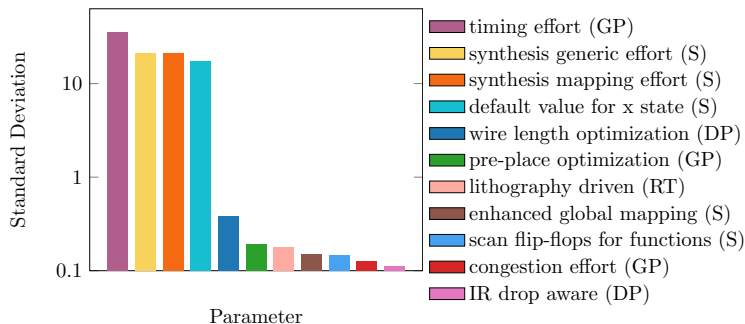
(a) EDA tool parameter tuning



(b) Front-End Perspective



(c) Back-End Perspective



- **High-dimensional:** A lot of values of design parameters need to be determined or tuned ($n_{\text{Params}} \geq 150$)
- Multiple quality-of-result (QoR) metrics (e.g., area, power, and delay) to be optimized
- **"Black-box"** parameter-to-performance mappings: no explicit function expressions
- **Time-consuming** EDA tool evaluation, i.e., expensive data annotation

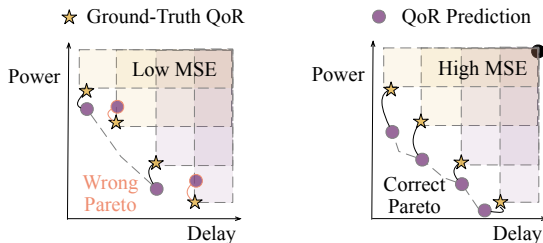
- EDA tools provide effective and complex optimization options
- Efficient Tool Parameter Tuning
 - XGBoost¹
 - Neural Networks (NN)²
 - Gaussian process (GP)³
- These approaches typically view tool parameter tuning as a regression task!

¹E. Ustun et al. (2019). “LAMDA: Learning-Assisted Multi-stage Autotuning for FPGA Design Closure”. In: *Proc. FCCM*, pp. 74–77.

²Jihye Kwon, Matthew M. Ziegler, and Luca P. Carloni (2019). “A Learning-Based Recommender System for Autotuning Design Flows of Industrial High-Performance Processors”. In: *Proc. DAC*.

³Hao Geng et al. (2022). “PTPT: physical design tool parameter tuning via multi-objective Bayesian optimization”. In: *IEEE TCAD* 42.1, pp. 178–189.

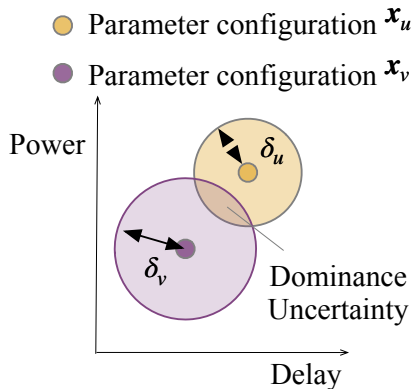
- Existing methods focus on predicting the **exact** QoR values
 - The enormous options make it difficult to train an accurate model⁴
 - A lack of uncertainty modeling leads to inaccurate Pareto relationship⁵
- What do we need? Ranking-based tuning framework!
 - Preference Bayesian Optimization $\rightarrow$ Pairwise GP + Duel-Thompson Sampling



⁴Hao Geng et al. (2022). “PTPT: physical design tool parameter tuning via multi-objective Bayesian optimization”. In: *IEEE TCAD* 42.1, pp. 178–189.

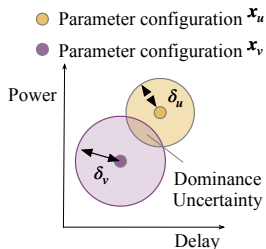
⁵Qi Sun et al. (2022). “Correlated multi-objective multi-fidelity optimization for HLS directives design”. In: *ACM Transactions on Design Automation of Electronic Systems (TODAES)* 27.4, pp. 1–27.

Algorithm



A pairwise likelihood function is defined as:

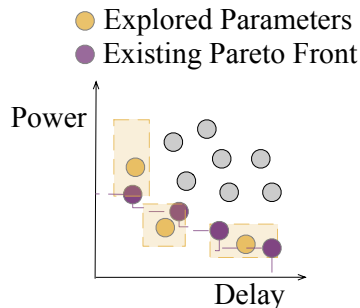
$$p_{\text{ideal}}(\mathbf{x}_v \succeq \mathbf{x}_u | f(\mathbf{x}_v), f(\mathbf{x}_u)) = \begin{cases} 1 & \text{if } f(\mathbf{x}_v) \geq f(\mathbf{x}_u) \\ 0 & \text{otherwise.} \end{cases} \quad (1)$$



Using a Gaussian noise to model the dominance uncertainty, the pairwise likelihood function could be formulated as:

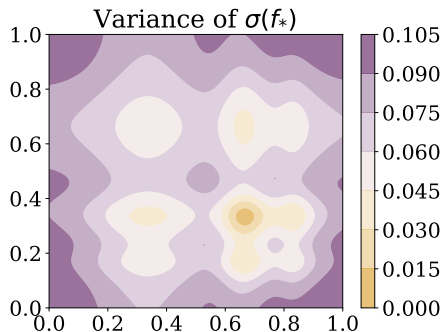
$$\begin{aligned}
 \Phi(z_k) &= p(\mathbf{x}_v \succeq \mathbf{x}_u \mid f(\mathbf{x}_v), f(\mathbf{x}_u)), \\
 &= \iint p_{\text{ideal}}(\mathbf{x}_v \succeq \mathbf{x}_k \mid f(\mathbf{x}_v) + \delta_v, f(\mathbf{x}_u) + \delta_u) \\
 &\quad \mathcal{N}(\delta_v; 0, \sigma^2) \mathcal{N}(\delta_u; 0, \sigma^2) d\delta_v d\delta_u,
 \end{aligned} \tag{2}$$

where $z_k = \frac{f(\mathbf{x}_u) - f(\mathbf{x}_v)}{\sqrt{2}\sigma}$ and $\Phi(z) = \int_{-\infty}^2 N(\gamma; 0, 1) d\gamma$.



- **Exploration and Exploitation of Comparisons**

- Searching across the entire search space of parameter tuning requires an effective balance between **exploration and exploitation**
- The key aspect is to select informative parameter pairs for comparison



- ① **Selecting $\mathbf{x}$** The first element of the new comparison, $\mathbf{x}_{\text{next}}$, is selected as:

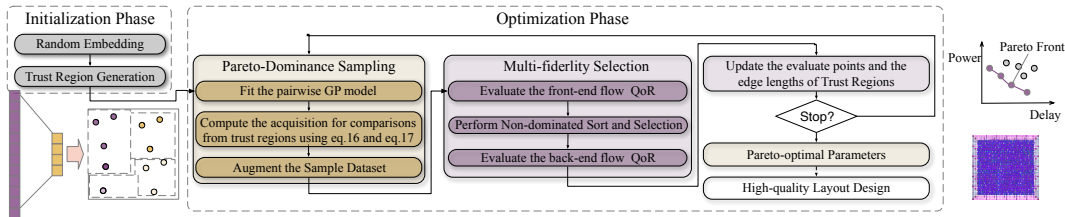
$$\mathbf{x}_{\text{next}} = \arg \max_{\mathbf{x} \in \mathcal{X}} \int_{\mathcal{X}} \pi_{\tilde{f}}([\mathbf{x}, \mathbf{x}']) d\mathbf{x}'. \quad (3)$$

- ② **Selecting $\mathbf{x}'$** : The second element is selected as the parameter configuration that maximizes the variance of $\sigma(f_*)$ in the direction of $\mathbf{x}_{\text{next}}$,

$$\mathbf{x}'_{\text{next}} = \arg \max_{\mathbf{x}'_{\star} \in \mathcal{X}} \mathbb{V}[\sigma(f_{\star}) \mid [\mathbf{x}_{\star}, \mathbf{x}'_{\star}], \mathbf{x}_{\star} = \mathbf{x}_{\text{next}}]. \quad (4)$$

The Overall Flow of Our RankTuner Framework

- 1 Random Embedding Generation
- 2 Trust-region Initialization
- 3 Informative Comparison Selection between Regions
- 4 Multi-fidelity Evaluation and Update



Experiments

- Benchmarks: RISC-V processors (RISCV32I⁶ and Rocket⁷), and BlackParrot⁸ processors (BP).
- The QoR-related metrics are used to compare the parameter tuning methods as in⁹:
 - Hypervolume (HV)
 - Maximum performance improvement (MPI1), Maximum power improvement (MPI2), Maximum area improvement (MAI).
 - Maximum performance-power improvement (MPPI), and Maximum performance-area improvement (MPAI)

⁶James E. Stine, Ryan Ridley, and Teodor-Dumitru Ene (2021). *OSU Datapath/Control RV32 Single-Cycle and Pipelined Architecture in SV*.

⁷Krste Asanovic et al. (2016). “The rocket chip generator”. In: *EECS Department, University of California, Berkeley, Tech. Rep. UCB/EECS-2016-17* 4.

⁸Daniel Petrisko et al. (2020). “BlackParrot: An Agile Open-Source RISC-V Multicore for Accelerator SoCs”. In: *Proc. MICRO* 40.4, pp. 93–102.

⁹Su Zheng et al. (2023). “Boosting VLSI Design Flow Parameter Tuning with Random Embedding and Multi-objective Trust-region Bayesian Optimization”. In: 28.5, pp. 1–23.

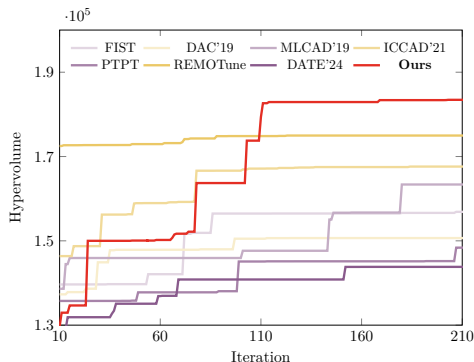
Table: Comparison of Parameter Tuning Methods on RISC-V32I Benchmark.

Method	FIST	DAC'19	MLCAD'19	ICCAD'21	PTPT	REMOTune	DATE'24	Ours
$HV(10^5)$	1.57	1.55	1.63	1.68	1.48	1.75	1.44	1.84
$HV_{0,1}(10^3)$	2.85	2.72	3.00	2.95	2.70	3.05	2.63	3.44
$HV_{0,2}(10^3)$	2.94	2.99	3.00	3.07	2.95	3.12	2.84	3.43
$HV_{1,2}(10^3)$	2.97	2.97	3.00	3.14	2.79	3.23	2.77	3.00
MPI1(%)	3.16	2.54	5.00	3.81	3.56	4.38	2.08	13.64
MPI2(%)	3.90	2.12	5.12	5.23	0.85	6.27	0.68	5.04
MAI(%)	5.47	7.18	4.64	7.10	5.15	7.45	4.74	5.12
MPPI(%)	6.94	4.51	9.88	8.83	4.37	10.38	1.30	13.73
MPAI (%)	8.46	9.53	9.41	10.63	8.52	11.53	5.43	12.26

- RankTuner consistently outperforms them across all benchmarks up to 40.34% improvement of hypervolume.
- RankTuner acquires 4.89% and 3.59% higher hypervolumes than the best baseline method, REMOTuner¹⁰, on RISC-V32I and Rocket benchmarks.

¹⁰Su Zheng et al. (2023). “Boosting VLSI Design Flow Parameter Tuning with Random Embedding and Multi-objective Trust-region Bayesian Optimization”. In: 28.5, pp. 1–23.

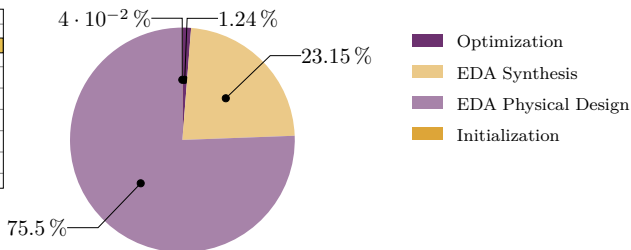
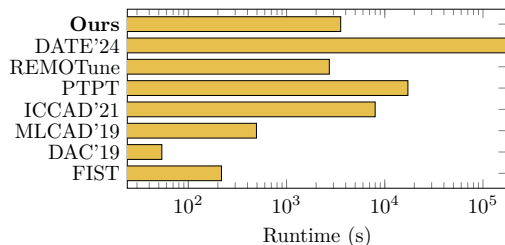
The Attained Hypervolume v.s. Iteration



The RankTuner framework also offers a notable advantage in constantly improving the explored Pareto front:

- The RankTuner framework offers a notable advantage in constantly improving the explored Pareto front.
- Although RankTuner has nearly the lowest initial HV value, it continuously improves during the exploration process and eventually surpasses all other methods at around 100 iterations.

- RankTuner is nearly $4.83 \times$ faster than PTPT¹¹ due to the parallel exploration
- The most consuming part is the EDA Physical Design part, which takes 75.5% of the total runtime. The initialization and optimization time only take about 1.25% in total.



¹¹Hao Geng et al. (2022). “PTPT: physical design tool parameter tuning via multi-objective Bayesian optimization”. In: *IEEE TCAD* 42.1, pp. 178–189.

Conclusion

- We propose RankTuner, a ranking-based EDA tool parameter tuning framework.
- We introduce a pairwise Gaussian process and a Duel-Thompson sampling to sample informative comparisons.
- RankTuner outperforms state-of-the-art methods in terms of search quality in competitive runtime.

THANK YOU!